

Name: \_\_\_\_\_ Section: \_\_\_\_ Andrew Id: \_\_\_\_\_

**15-112 Spring 2016 Quiz 3xa**

**\* Up to 20 minutes. No calculators, no notes, no books, no computers.**

**\* No strings, lists, or recursion! \* To receive credit (in Code Tracing), show your work.**

**1. Quick Answer [15 pts]:**

Write a function  $f(n)$  so that it behaves *exactly* the same way as  $w(n)$ , but using a for loop instead of a while loop.

```
def w(n):  
    x = 0  
    while (x**2 < n):  
        print("x is", x)  
        x += 2
```

**2. Code Tracing [20 pts]:** Indicate what this prints. Place your answer (and nothing else) in the box below the code.

```
def ct1(n):  
    x = n  
    k = 0  
    while (x > 0):  
        total = 0  
        y = n  
        for i in range(k):  
            total += y%10  
            y //= 10  
        print(k, total)  
        x //= 10  
        k += 1
```

```
print(ct1(1234))
```

**3. Reasoning Over Code [10 pts]:** Find arguments for the following function that makes it return True. You only need one set of arguments, even if there are multiple correct answers.

```
def f(x, y):  
    assert((type(x) == int) and (type(y) == int))  
    if ((x <= 50) or (y > 25)): z = 3  
    elif (x%10 + y%10 > 0): z = 42  
    elif (x == y + 40): z = 10  
    else: z = 5  
    return (z == 2**5//3)
```

4. **Free Response: nthSteppingNumber(n)** [55 pts]

A number  $n$  is a stepping number (a coined term) if it is a non-negative int and its digits are strictly increasing from left to right. For example, 1379 is a stepping number because  $1 < 3 < 7 < 9$ , but 13379 is not because 3 is not strictly greater than 3. Note that a one-digit number is always a stepping number. With this in mind, write the function `nthSteppingNumber(n)` that takes a possibly-negative int  $n$  and returns the  $n$ th stepping number.

Here are a couple test cases:

```
assert(nthSteppingNumber(0) == 0)
assert(nthSteppingNumber(10) == 12)
assert(nthSteppingNumber(433) == 145679)
```